

Preface to the Special Volume on the SAT 2005 Competitions and Evaluations

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1. From a single event to a special volume: History of the SAT competitions

In 2005 there were numerous "competitive events" in the area of automated reasoning (in the broad sense): The Tenth CASC competition[23], the First Satisfiability Modulo Theory Competition[3], the First CSP competition, the Fourth SAT competition, the Third QBF evaluation and the First Pseudo Boolean evaluation, etc.

Starting such an event is suitable for promoting a common input format and to build a repository of benchmarks in that format: this was the motivation behind the SMT and CSP competitions and the PB evaluation. The First QBF evaluation was also organized two years ago in that spirit and the renewal since then allowed to impose the QDimacs input format and to increase both the number of solvers and benchmarks available each year.

More mature events, such as the CASC competitions, are a bit different: both the pool of benchmarks (TPTP) and the pool of solvers are quite stable and the competitions allow to track the progress of new versions of those solvers on a well studied set of benchmarks.

The SAT competitions are again different: the first SAT competition is older than CASC (1992, [6]), a common input format exists since the Second Dimacs challenge (13 years ago [12]), many SAT benchmarks are available (from a repository such as SATLIB [11] or from academic or private companies web sites) in that format. Because recent SAT benchmarks are really huge (several hundreds of MB each) and others cannot be freely distributed, it is difficult to think about a common repository similar to the TPTP where all the SAT benchmarks could be available. Furthermore, the number of available SAT solvers is growing each year and makes it difficult to maintain up-to-date initiatives such as SATEX [22]. As a consequence, the SAT competition should be seen as a yearly snapshot of a subset of current SAT solvers on a subset of the available SAT benchmarks.

The four consecutive SAT contests have brought the community a large amount of new solvers and benchmarks, and a place where both solver designers and users can meet. The main difference between the initial SAT 2002 competition and the current SAT 2005

	2002	2003	2004	2005
#Solvers	28	34	55	43
#Submit.	19	22	27	22
Timeout (s) 1st	$2,400^{\dagger}$	900	600	1,200
Timeout (s) 2nd	$21,\!600^{\dagger}$	$7,\!200$	2,400	6,000/12,000
Total CPU (days)	750	522	516	1,230
Judges	_	J. Franco, H. van Maaren, T. Walsh	F. Bacchus, J. Marques-Silva, H. Kleine Buning	A. VAN GELDER, A. BIERE, O. KULLMANN

Table 1. SAT Competition Overall Progress. The "[†]" mark means that three launchs were attempted for each randomized solvers, with the same timeout.

competition is that SAT solvers are currently being used in various areas, in academia or in the industry, because they can handle some benchmarks with millions of variables and clauses. In the SAT 2005 competition, this is reflected by the variety of benchmarks in the industrial category, and the participation of companies such as IBM and Intel.

1.1 What's new in the SAT 2005 competition

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Over the years, new rules were introduced in order to ensure that the community may benefit from the event. We mainly focused on the "anti-black-box" rule in the 2004 contest, but we relaxed a bit that rule this year. It was decided to mimic CASC and to have two divisions in the SAT 2005 competition: the *competition* division and the *demonstration* division. The competition division is the place where solvers, available in source for the research community, can compete and from which winners are selected. The demonstration division is the place where solvers available in binary form, or other solvers whose presence could benefit the research community, are allowed. There was no winner in that second category. At most 3 variants of the same solver (same submitter) were allowed in the competition division. Additional submitted solvers were moved to the demonstration division (the submitters chose which solver ran in which division). This year the three judges were Armin Biere, Allen van Gelder and Oliver Kullmann.

For the first time, we had less solvers submissions than the previous year. We had 43 solvers (see table 1 for details over the years), and we selected 1657 benchmarks over the three categories, 390 random, 675 crafted and 592 industrial (296 original + 296 shuffled). The total amount of CPU time was 1230 CPU-Days on two different clusters of 18 computers each, 680 days of CPU-time for the first stage and 550 days of CPU-time for the second one.

Practically speaking, the hardware was composed of 16 Athlon 1800+ with 1GB RAM, provided by the LRI, Université de Paris-Sud, and with 8 Athlon 1800+ with 2 GB RAM, provided by the LINC Lab, Department of ECECS, University of Cincinnati. Computers were running GNU Linux (RH flavor); Solvers were compiled with GCC 3.3.5.; and the Java solver was launched on Sun Java 1.5.0_02 JVM.

2. The new scoring scheme

The importance of the international SAT competition has grown to being an awaited event in the community. The major impact of being ranked among the best solvers is beneficial both for academic and industrial competitors. As it was stated in our previous reports, our ranking was until now based on a series-basis. One main problem of our scoring scheme (see previous competition report for details [21, 4, 5]) was that all solvers in the second stage were awarded the same score (they solved the same number of series). The final ranking of the second stage was often based on the simple number of solved benchmarks, and the scores were very tight (on some categories, the winner solved only one additional benchmarks than the second one). As an additional argument, because solvers may be used with very large CPU-timeout, it is now important to consider the CPU-time of solvers. A fast solver must be preferred to another one if they both solve the same amount of benchmarks, because the faster one may be efficiently embedded in a real-world application where it will have to scale-up well.

2.1 Design Objectives

One key idea behind the SAT competition is to award a solver that is good on a wide range of SAT instances. In the previous year of the competition, this was implemented using a scoring scheme that ranked the solvers with a tiered system: First, the solvers were ranked by being able to solve *some instance* in a highest number of different series. Ties were then broken using the total number of benchmarks solved. Unfortunately, in this system there is no difference between solving a benchmark solved by all solvers or one solved by only a few solvers. The same applies to series too.

Another key idea of the competition was to focus on solvers that are the *only* ones to solve some benchmarks: in the SAT and CASC competitions, those solvers are called *state-of-the-art contributors* (abbreviated SOTAC). In the previous scoring scheme, the solvers did not benefit directly for being SOTAC in their category, even though SOTAC solvers were usually among the top ranked solvers.

Third, the time needed to solve a given benchmark also needs to be considered. While the CPU time was indirectly used for scoring the solvers in the previous years of the SAT competitions, by using a fixed timeout per benchmark, there was no way to discriminate among the solvers able to solve a given benchmark within that timeout.

Furthermore, the second stage ranking was based only on the number of benchmarks solved during the second stage, among those benchmarks that had not been solved by *any solver* during the first stage. This criterion is based on very strong assumptions:

- The remaining benchmarks are representative of the initial set of benchmarks.
- The solvers will behave in the second stage in a way similar to the first stage.

However, these assumptions did not necessarily hold. Although it is likely that the winners of the previous competitions could have been declared winners using various scoring schemes, nevertheless, the rankings of the remaining top solvers could have changed a lot.

The scoring scheme used for the SAT 2005 competition is designed to address these issues. It incorporates these features:



- It gives more credit for solving hard benchmarks than solving easy ones.
- It gives more credit for solving a benchmark fast.
- It gives extra credit for each series solved.
- It stabilizes the rankings of the solvers at the end of the competition.

While the scoring scheme was designed on a purely theoretical basis, the results of the SAT 2005 Competition indicate that the new scoring scheme meets its expectations in practice.

2.2 The Purse-Based Scoring System

The implemented scoring plan works as follows. A *run* is defined to be the execution of one *solver* on one benchmark instance, or *problem*. Each run is allocated a certain amount of CPU time. If the solver succeeds, *timeUsed* records the time.

For SAT 2005, there are three categories of benchmark, INDUSTRIAL, CRAFTED, and RANDOM. Within each category, there are several *specialties*, such as SAT, SAT+UNSAT, UNSAT, and CERTIFIED-UNSAT. The scoring system is applied separately within each combination of category and specialty.

Each problem has a *solution purse*, which is divided equally among all competition solvers that solve the problem. For SAT 2005, all problems have the standard solution purse (stdP).

Each problem has a speed purse, which is divided unequally among all competition solvers that solve the problem. The speed purse is a fixed multiple (spdM) of the solution purse for all problems in the entire competition; it gives a weighting between solving and speed.

The formula to divide the speed purse of a problem is the following, where p is problem-id and s and i are solver-ids, times are in seconds, and 10,000 is an arbitrary scale factor.

$$speedFactor(p,i) = \begin{cases} \frac{10000}{1 + timeUsed(p,i)} & \text{if } i \text{ solved } p; \\ 0 & \text{if } i \text{ did not solve } p. \end{cases}$$
(1)

$$speedAward(p,s) = \frac{speedPurse(p) * speedFactor(p,s)}{\sum_{i} speedFactor(p,i)}$$
 (2)

Thus, the *speedAward* is pro rata by *speedFactor*.

The series purses reward breadth of application. Each series (within specialty within category) has a *series purse*, which is divided equally among all competition solvers that solve at least one problem in the series. If no solver solves any problem in a certain series, its series purse is not distributed.

For SAT 2005, all series containing 5 or more benchmark instances have the same series purse, which is a fixed multiple (serM) of the standard solution purse. (Recall that scoring is separately applied within each combination of category and specialty, e.g., SAT within RANDOM, or SAT+UNSAT within CRAFTED.) All series containing 4 or fewer benchmarks have the same series purse, which is a fixed multiple (serM / 3) of the standard solution purse.

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The coefficients and multiples for SAT 2005 are:

stdP = 1000.0; spdM = 1.0; serM = 3.0.

3. The SAT 2005 settings

3.1 Submitted Solvers

A 2-pages description of solvers is available on the competition web site. Briefly, the submitters to the **competition division** were : Anbulagan [2] (dew-satz-1a, dew-satz-1b, dew-satz-1c) ; Domagoj Babic (hsat.1, hsat.5, hsatrr) ; Armin Biere (compsat), pages 201-208 ; Gilles Dequen, Olivier Dubois [7] (kcnfs-2004) ; Niklas Eén, Niklas Sörensson [8] (SatELiteGTI) ; Zhaohui Fu [15](zchaff) ; Roman Gershman [9] (haifasat, haifasat2) ; Marijn Heule, Mark Dufour, Joris van Zwieten, Hans van Maaren (pages 47-59, march-d1) ; Holger Hoos, Dave Tompkins [24](adaptnovelty) ; Daniel Le Berre, Mederic Baron, Geoffrey Bourgeois (sat4j.jar) ; Chu Min Li, Wen Qi Huang [13] (g2wsat) ; Feng Lu, Kai Yang, Kwang-Ting Cheng (csat) ; Yogesh Mahajan, Sharad Malik, Lintao Zhang, Zhaohui Fu [15](zchaff-rand) ; Alexander Nadel (jerusat1.31-a, jerusat1.31-b)) ; Richard Ostrowski [18](lsatv1.1, wllsatv1) ; Duc Nghia Pham, Anbulagan (ranov, rpaws10, rrsaps) ; Steven Prestwich [19] (vw) ; Niklas Sörensson, Niklas Eén [8](minisat-static) ; Ivor Spence (tts-3-0) ; Dave Tompkins, Holger Hoos, Frank Hutter [24](saps) ; Daniel Vallstrom, (vallst.sh)

In the **demonstration division**, we had : Anbulagan (dew-satz-1d, dew-satz-1e) ; Gilles Dequen, Olivier Dubois (kcnfs) ; Niklas Een, Niklas Sörensson (satelite-release) ; HoonSang Jin, Fabio Somenzi (circusa, circusb, circusd) demonstration ; Raihan Kibria, Niklas Eén, Niklas Sörensson (midisat-static) ; Alexander Nadel, Ziyad Hanna (eureka-a, eureka-b, eureka-c) ; Duc Nghia Pham, Anbulagan (rpaws40, rpaws5)

No portfolios (such as satzilla in the previous contest) were submitted this year and kncfs-2004 (same binary as last year winner) was resubmitted by its authors (Gilles Dequen, Olivier Dubois).

3.2 Benchmarks

The random category only contains pure, uniform, non-biased random k-SAT instances, not forced to be SAT or UNSAT. Oliver Kullmann provides full details and analysis of this category pages 61-102.

Crafted benchmarks contained all benchmarks that were neither random nor industrial. Previous tricky benchmarks that were simple but known as needing an exponential number of resolutions (like Urquhart or XOR-chains problems) were mostly taken out last year by 1sat and not submitted again this year. Benchmarks that looked like random (for instance forced SAT random benchmarks) were also pushed into this category. As a matter of fact, crafted benchmarks represented the largest set of benchmarks this year (675 benchmarks). We had benchmarks of very different kinds and we shuffled all of them for the contest. Armin Biere submitted LinvRinv benchmarks; Matti Järvisalo submitted benchmarks based on 3-Regular Graphs (see details pages 27–46); Ashish Sabharwal submitted counting, ordering and pebbling problems; Inês Lynce submitted social golfer problems [14]; Volker Sorge submitted algebraic benchmarks problems [16]; Klas Markström submitted a

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family of Eulerian graphs (pages 221-228) and Oliver Roussel submitted PHNF encoding [20] of last year contest, medium hardness, benchmarks.

In the industrial category, new formal verification benchmarks from IBM were submitted by Emmanuel Zarpas. He discusses the choice of the benchs pages 229-236. Miroslav Velev submitted previously-known benchmarks (VLIW-SAT (2.0 and 4.0), VLIW-UNSAT 2.0 and Liveness UNSAT 2.0)[25]. Sanjai Narain submitted VPN models from Alloy [17]; François Grieu submitted VPMC inversion problems and Fréderic Maris submitted Planning problems.

3.3 First stage results

The results of the first stage are detailed in Table 2 for the random category, Table 3 for the crafted category and Table 4 for the industrial category.

3.4 Second stage results: The winners

For the second stage, the judges were asked to select the Top-N solvers in each category (in each category, N may be different). We then used a significantly larger cpu-time (6,000 seconds for the RANDOM and CRAFTED categories; and 12,000 seconds for the INDUSTRIAL category) to relaunch the selected solvers on all the benchmarks on which they failed during the first stage. The table 5 gives the results for the second stage of the competition for random benchmarks. The table 6 gives the results for the second stage of the competition for crafted benchmarks, and the table 7 gives the results for the second stage of the competition for industrial benchmarks. More information, including various figures and the details of all runs can be found on the competition web site: http://www.satcompetition.org/2005/.

4. Introducing this special volume

The special volume contains two types of contributions: articles and research notes. The articles are expected to reach a wider audience than research notes. All the contributions have been reviewed in the same way. Considering the specific topic of the special volume, the SAT competition and the Quantified Boolean Formulae (QBF) and Pseudo Boolean (PB) evaluations organized as satellite events of the SAT conference, the contributions are either reports of events (pages 61–164, 229), description of technologies behind solvers (pages 1, 47, 165, 191–219), or analysis of new classes of benchmarks (pages 27, 221).

One of the big winner of the SAT 2005 competition and evaluations is certainly MiniSat. It is the second solver in numerous categories in the SAT competition, and the first when used with the SatELite preprocessor. In conjunction with a pseudo boolean preprocessor, it also shown a great potential in the first pseudo boolean evaluation. Niklas Eén and Niklas Sörensson are presenting in the first paper, *Translating Pseudo-Boolean Constraints into* SAT, pages 1–26, the original approach taken by MiniSat+: translating the pseudo boolean constraints into clauses, on which the powerful minisat SAT solver can be launched.

Current SAT solvers are now able to handle larger and larger benchmarks, scaling up to millions of variables and clauses. In the second paper, *Hard Satisfiable Clause Sets* for Benchmarking Equivalence Reasoning Techniques, pages 27–46, Haari Haanpää et al. are interested in finding a model to generate small, hard, satisfiable benchmarks. They

(A) SAT+UNSAT				(B) SAT			
		#	Solved Solver		Scor	e #Sol	ved
Solver	Score	Sat	Unsat	ranov	137 70	$\frac{c}{0}$ $\frac{\pi}{100}$	$\frac{178}{178}$
ranov	$142,\!367$	178	0	anov anov	89.42	5	158
g2wsat	$92,\!425$	158	0	rnaus 10	73 10	0	151
kcnfs-2004	78,776	80	60	1 paws 10	58.07	8	1/18
rpaws10	$74,\!857$	151	0	vw	42.45	0	140
VW	60,078	148	0	adantnoveltv	10.78	0	107
rrsaps	$43,\!125$	116	0	gang	16 58	1	101
march-dl	20,866	44	30	konfe-2004	13.44	т. Л	80
adaptnovelty	19,780	107	0	dou-satz-1a	7 20	6	51
saps	$16,\!581$	101	0	dew-satz-la	7,29	4	51
dew-satz-1a	15,983	51	36	dew-satz-10	6,60	4	50
dew-satz-1c	15,331	50	35	uew-Satz-ID	0,00 6 10	1	44
dew-satz-1b	14,590	50	34		0,19	9	44 90
wllsatv1	9,818	38	29		3,80	2	38
minisat-static	6,859	34	22	minisat-static	3,65	8	34
satelitegti	6,273	33	21	sat4j.jar	3,58	1	35
sat4j	$5,\!540$	35	15	satelitegti	3,25	1	33 10
csat	2,329	20	7	nsat-5	2,18	2	19
hsat-5	2,182	19	0	zchaff	2,06	9	16
zchaff	2.069	16	0	hsat-1	1,89	1	17
hsat-1	1.891	17	0	csat	1,62	1	20
vallst-sh	1,457	17	0	valist-sn	1,45	7	17
zchaff-rand	1,325	12	0	zchaff-rand	1,32	5	12
jerusat1-31-b	1,247	10	1	jerusat1-31-b	1,15	5	10
hsatrr	881	5	0	hsatrr	88	1	5
ierusat1-31-a	673	7	0	jerusat1-31-a	67	3	7
haifasat2	547	5	0	haifasat2	54	-	5
lsatv1-1	432	3	0	lsatv1-1	43	2	3
haifasat	357	3	0	haifasat	35	7	3
compsat	349	3	0	compsat	34	9	3
1			(C)	UNSAT			
Solvor	Se	oro	#Solved				
konfa-20	04 70	470	#501/60	Solver	Score	#Solved	
march-dl	181	180	30	minisat-static	4,898	22	
deu-esta	$-1a 10^{\circ}$	335	36	satelitegti	4,719	21	
devi-coto	-1c 11	074	35	sat4j.jar	$2,\!907$	15	
dou-coto	-1b 11,	636	2/	csat	1,281	7	
w]]satv1	× × × × × × × × × × × × × × × × × × ×	313	29	jerusat1-31-b	364	1	-
WIISalvi 0,313 29							

Table 2. First stage results, RANDOM category

(A) SAT+UNSAT

introduce a new family of benchmarks, regular XORSAT, that was submitted to the SAT 2005 competition, crafted category.

If conflict driven clause learning solvers are suitable for solving industrial benchmarks, lookahead solvers with sophisticate heuristics and deduction processes are another appealing approach for solving both random k-SAT and crafted benchmarks. Marijn Heule and Hans van Maaren introduce in the third paper, March_dl: Adding Adaptive Heuristics and a New

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Table 3. First stage results, CRAFTED category

(A) SAT+UNSAT

(B) SAT

	#Solved		Solved	Solvor	Score	#Solved
Solver	Score	Sat	Unsat		28.062	#501veu
satelitegti	79,069	173	145	Salelilegui	38,003 21.656	170
vallst-sh	60,869	195	130		31,000	182
tts-3-0	56,951	20	78	valist-sh	29,300	195
march-dl	55,428	182	111	minisat-static	23,913	163
zchaff-rand	52,064	159	119	nsat-1	23,502	158
minisat-static	$51,\!536$	163	136	nsat-5	22,894	107
csat	49,476	158	113	zchall	21,040	169
jerusat1-31-a	43,555	167	109	Jerusati-31-a	20,919	167
hsat-1	41,719	158	105	nallasat	20,078	156
hsat-5	41,213	157	105	csat	19,257	158
zchaff	37,601	169	97	zchail-rand	18,975	159
haifasat	33,840	156	95	jerusat1-31-b	18,887	167
jerusat1-31-b	32,660	167	100	hsatrr	18,487	111
hsatrr	31,482	111	66	VW	17,869	130
haifasat2	29.790	153	96	haifasat2	16,959	153
compsat	23.888	143	83	compsat	14,952	143
dew-satz-1b	21.250	125	67	sat4j.jar	12,395	136
sat4i.jar	21.179	136	73	rrsapes	12,184	146
dew-satz-1a	21.063	127	66	dew-satz-1c	11,392	124
dew-satz-1c	19.868	124	63	g2wsat	11,060	127
lsatv1-1	19.055	61	37	dew-satz-1a	10,848	127
VW	17.047	132	0	lsatv1-1	10,837	61
wllsatv1	11.912	86	50	dew-satz-1b	10,543	125
rrsaps	11 312	146	0	ranov	10,360	134
o?wsat	10.393	128	Ő	rpaws10	$9,\!420$	99
ranov	9 561	134	0	wllsatv1	7,274	86
kcnfs-2004	8 269	104	34	saps	5,735	96
rnaus10	7,203	101	0	adaptnovelty	5,566	87
Thampin	5 221	07	0	kcnfs-2004	4,205	49
adaptrovoltv	5 1 2 0	91 87	0	tts-3-0	1,352	20
adapthoverty	0,130	01	0			

(C) UNSAT

Solver	Score	#Solved	Solver	Score	#Solved
tts-3-0	55,211	78	<u>borver</u>	14 697	#501764
satelitegti	46.427	145	nsatrr	14,037	00
csat	35 227	113	haifasat2	$14,\!525$	96
cout achoff-mond	24 507	115	haifasat	$14,\!427$	95
zchari-rand	54,597	117	dew-satz-1b	12.669	67
vallst-sh	33,065	129	dew-satz-1a	12 173	66
minisat-static	31,366	136	act di jor	12,110 11,204	72
march-dl	25,253	111	Sal4J.Jal	11,204	13
ierusat1-31-a	24 387	109	compsat	10,613	83
hast-E	21,001	105	dew-satz-1c	9,902	63
lisat-5	20,210	105	lsatv1-1	8,551	36
hsat-1	20,056	105	wllsatv1	6,000	50
zchaff	$18,\!849$	97	kcnfc = 2004	4 940	25
jerusat1-31-b	15.385	100	KCIII 5-2004	4,249	

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(A) SAT+UNSAT				(B) SAT			
#Solved							
Solver	Score	Sat	Unsat	Solver Score #Solved			
satelitegti	85,602	117	78	satelitegti 52,497 117			
minisat-static	55.638	114	74	minisat-static 36,651 114			
haifasat	39.359	99	79	halfasat 19,051 99			
haifasat2	31,312	94	77	compsat 17,756 88			
zchaff-rand	30,400	91	78	haifasat2 15,821 94			
zchaff	27.201	90	60	zchaff 15,350 90			
compsat	26.955	88	67	jerusat1-31-b 14,598 96			
csat	25.106	94	78	zchaff-rand 14,290 91			
jerusat1-31-b	22,358	96	65	csat 13,416 94			
j jerusat1-31-a	18.885	94	65	wllsatv1 11,605 82			
hsat-5	18.593	91	45	jerusat1-31-a 11,262 94			
hsat-1	17.645	91	45	hsat-5 10,739 91			
sat4j.jar	16,793	88	61	hsat-1 9,809 91			
vallst-sh	15,271	80	63	sat4j.jar 8,445 88			
wllsatv1	12.623	82	5	vallst-sh 7,080 80			
hsatrr	11.820	66	29	rrsaps 6,028 71			
march-dl	10,051	67	39	hsatrr 5,960 66			
dew-satz-1a	7,116	61	24	vw 5,369 67			
rrsaps	6.028	71	0	g2wsat 5,291 65			
dew-satz-1c	5.795	60	5	rpaws10 5,248 65			
dew-satz-1b	5,530	60	5	march-dl 5,175 67			
VW	5.369	67	0	dew-satz-1c 4,647 60			
g2wsat	5,291	65	0	ranov 4,563 59			
rpaws10	5,248	65	0	dew-satz-1a 4,479 61			
ranov	4.563	59	0	dew-satz-1b 4,422 60			
lsatv1-1	4,117	56	0	Isatv1-1 4,117 56			
saps	3,442	56	0	saps 3,442 56			
kcnfs-2004	3,178	40	0	kcnis-2004 3,178 40			
adaptnoveltv	$3,\!154$	50	0	adaptnovelty 3,154 50			
tts-3-0	1.544	28	0	tts-3-0 1,544 28			

${\bf Table \ 4.} \ {\tt First \ stage \ results, \ INDUSTRIAL \ category}$

(C) UNSAT

Solver	Score	#Solved	Solver	Score	#Solved
satelitegti	34,481	78	vallst-sh	8,266	63
haifasat	20,802	79	jerusat1-31-a	$7,\!480$	65
minisat-static	20,029	74	hsat-5	$7,\!411$	45
zchaff-rand	15,985	78	hsat-1	$7,\!393$	45
haifasat2	15,324	77	hsatrr	$5,\!836$	29
csat	$12,\!684$	78	march-dl	4,576	39
zchaff	$11,\!631$	60	dew-satz-1a	$2,\!436$	24
compsat	8,470	67	wllsatv1	994	5
sat4j.jar	7,919	61	dew-satz-1c	947	5
jerusat1-31-b	8,420	65	dew-satz-1b	907	5

					(B) SAT					
(•)				Solv	rer	Score	#Solved			
(A)	SAT+UNS	A'I'		ran	ov	163,903	209			
	#Solved			g2w	sat	$101,\!286$	178			
Solver	Score	Sat	Unsat	VW		76,002	170			
kcnfs-2004	$95,\!075$	92	75	ada	ptnovelty	21,748	119			
march-dl	27,141	56	43	sap	S	$15,\!603$	104			
dsatz-1a	22,940	68	50	kcn	fs-2004	$14,\!604$	92			
wllsatv1	16,145	59	45	dsa	tz-1a	8,943	68			
satelitegti	10,074	46	33	march-dl		$7,\!444$	56			
minisat	$10,\!058$	45	33	wll	wllsatv1		59			
				satelitegti		$5,\!198$	46			
		r		min	isat	$5,\!147$	45			
			(C)	UNSAT						
	S	olver		Score	#Solved					
	k	cnfs-	2004	97,930	75					
	m	arch-	dl	25,228	43					
	d	dsatz-1a		$19,\!456$	50					
	W	wllsatv1		12,902	45					
	m	inisa	t	7,369	33					
	S	ateLi	tegti	7,335	33					

Table 5. Second stage results, Random category

Branching Strategy, pages 47–59, the new version of march_dl, one of the strong solvers of the SAT 2005 competition (3 silver and 2 bronze medals in the random and crafted categories).

One of the reasons of the success of the random k-SAT model in the SAT community is it's strong mathematical basis. Oliver Kullmann, one of the judges of the SAT 2005 competition, was in charge of the design of the random category. He reports in *The SAT* 2005 Solver Competition on Random instances, pages 61-102, the way he built the set of benchmarks to be used for the competition and analyzes the solvers performances on those benchmarks.

The most successful special track of the SAT competition was the Pseudo Boolean evaluation. Vasco Manquinho and Olivier Roussel report in details the event in *The First Evaluation of Pseudo-Boolean Solvers (PB'05)*, pages 103–143. The report is especially interesting because many solvers were found incorrect during the evaluation for mainly two reasons: there was no common input format before the evaluation so I/O errors were frequent and the arithmetic on the coefficients needed special attention to avoid overflow. As a consequence, the organizers decided to rerun corrected version of those solvers after the SAT conference. The report is presenting results updated in September 2005.

For the third time, a QBF evaluation was organized. Massimo Narizzano *et al.* detail in *The third QBF solvers comparative evaluation*, pages 145–164, the way the set of benchmarks used was designed and classified. The behavior of the solvers on those benchmarks is then discussed. The evaluation once again emphasized the difficulty to check the correctness of a QBF solver: 5 solvers out of 13 answered incorrectly this year.

(A) SAT+UNSAT					(1	3) с лт	
		#S	olved	C	(1)-1	S) SHI	// C = 11
Solver	Score	Sat	Unsat	<u> </u>	olver	Score	#Solved
vallst.sh	56.445	138	100) V	vallst.sh	31,258	138
satelitegti	53.128	122	126	, n	narch-dl	27,656	138
march-dl	52.432	138	99) <u>h</u>	isat-1	20,156	130
minisat	43.691	122	121	— s	satelitegti	17,418	122
hsat-1	39 497	130	90	n n	ninisat	$17,\!210$	122
ceat	38 394	113	119	, c	csat	13,791	113
zchaff	30,324 97.455	110	80	, z	zchaff	$13,\!692$	112
ZCHAII zchoff-rond	21,400 94.171	107	79	, z	chaff-rand	$11,\!431$	107
2 cmall - 1 amu	24,171 21.208	107	10 E 4	, j	jerusat-a	10,702	104
:	21,290	0 104	04 75	, t	ts	475	5
jerusat-a	19,632	104	()				
			(C)	UNSAT			
	So	lver		Score	#Solved		
	sa	telit	egti	35,639) 126		
	mi	nisat		26,159) 121		
	va	llst.	sh	25,532	2 100		
	ma	rch-d	1	25,371	99		
	cs	at		23,878	3 112		
	tt	tts-3-0		20,765	54		
	hs	hsat-1		19,936	5 90		
	zc	haff		14,359) 89		
	zc	haff-	rand	12,419) 78		
	je	rusat	-a	9,275	5 77		

Table 6. Second stage results, Crafted category

Hossein Sheini and Karem Sakallah present their new pseudo boolean solver in *Pueblo:* A Hybrid Pseudo-Boolean SAT Solver, pages 165–189. The main feature of that extension of the MiniSat solver for pseudo boolean constraints is to use both clauses and pseudo boolean constraints during learning and backjumping. The details needed to implement a similar solver on top of Minisat are provided.

Five research notes complete this special volume. First, Olivier Bailleux *et al* submitted to the PB 05 evaluation a solver also based on a translation of the original problem into SAT. A Translation of Pseudo Boolean Constraints to SAT, page 191–200, completes the previous work on MiniSat+ by a new encoding.

Armin Biere and Carsten Sinz propose in *Connected components in Compsat*, pages 201–208 a way to deals with connected components in conflict driven clause learning solvers, as implemented in the SAT 2005 competitor Compsat.

Vasco Manquinho and João Marques-Silva describe in On Using Cutting Planes in Pseudo-Boolean Optimization, pages 209–219 the solver bsolo, a branch and bound PB solver in which cutting planes are used both for conflict analysis and to improve lower bounds.

Klas Markström proposes in *Hard SAT-instances and locality*, pages 221–227, a new class of problems based on Eulerian graphs whose instances are expected to be hard for resolution-based SAT solvers.

(A) SAT+UNSAT						(1		
#Solved					C - 1	(E	SAT	// C = 1 d
Solver	Score	Sat	Unsat	; -	501	ver	72 FOC	#501ved
satelitegti	99,662	180	87	7	sa	teritegti	73,500	180
minisat	69,485	166	84	Ł	m11	lisat	50,985 20.695	100
haifasat	50,931	151	91		jei	rusat-D	38,625	163
zchaff-rand	50,515	132	94	- 1	na.	liasat	28,428	101
jerusat-b	47,487	163	80)	ZCI	naii-rand	24,885	132
csat	36,526	140	91		CSa	at	21,997	140
zchaff	31,702	121	76	;	zci	naff	19,236	121
compsat	25.399	114	75	5	COI	npsat	16,715	114
sat4i	21.097	110	70)	sat	t4j	12,898	110
hsat-5	20.995	99	54		₩1.	lsatv1	11,390	86
vallst.sh	16.874	85	69)	hsa	at-5	11,046	99
wllsatv1	12.467	86	6	5	va.	llst.sh	7,757	85
	,		(C)	UNSA	Т			
	So	lver	~ /	Scc	ore	#Solved		
	sa	telit	egti	27,5	18	87		
	zc	haff-	rand	26,7	92	94		
	ha	ifaSa	t	23,6	66	91		
	mi	nisat		19,8	63	84		
	cs	at		15,8	92	91		
	zc	haff		13,8	29	76		
	je	rusat	-b	10,2	25	80		
	hs	at-5		10,0	29	54		
	va	llst		9,1	92	69		
	со	mpsat		9,0	97	75		
	sa	t4j		8,6	54	70		
	wl	lsatv	1	1.0	53	6		

Table 7. Second stage results, Industrial category

Emmanuel Zarpas concludes the special volume by *Back to SAT05 competition: an a posteriori analysis of solvers performances on industrial benchmarks*, pages 229–237, in which the solvers are compared mainly on the various SAT-based Bounded Model Checking benchmarks coming from the IBM Formal Verification Benchmarks Library.

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SAT

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References

- Eighth International Conference on Theory and Applications of Satisfiability Testing SAT'05, St. Andrews, Scotland, June 19th-23rd 2005.
- [2] Anbulagan and John Slaney. Lookahead saturation with restriction for sat. In *Eleventh International Conference on Principles and Practice of Constraint Programming*, pages 727–731, 2005.
- [3] C. Barrett, L. de Moura, and A. Stump. SMT-COMP: Satisfiability Modulo Theories Competition. In K. Etessami and S. Rajamani, editors, 17th International Conference on Computer Aided Verification, pages 20–23. Springer, 2005.
- [4] D. Le Berre and L. Simon. The essentials of the sat'03 competition. In E. Giunchiglia and A. Tacchella, editors, *Proceedings of the Sixth International Conference on Theory* and Applications of Satisfiability Testing (SAT2003), LNCS, pages 452–467. 2003.
- [5] D. Le Berre and L. Simon. Fifty-five solvers in vancouver: The sat 2004 competition. In Hoos and Mitchell [10], pages 468–485. Revised Selected Papers.
- [6] M. Buro and H. K. Büning. Report on a sat competition. Bulletin of the European Association for Theoretical Computer Science, 49:143–151, 1993.
- [7] Olivier Dubois and Gilles Dequen. A backbone-search heuristic for efficient solving of hard 3-sat formulae. In Proceedings of the Seventeenth International Joint Conference on Artificial Intelligence (IJCAI'01), Seattle, Washington, USA, August 4th-10th 2001.
- [8] Niklas Een and Armin Biere. Effective preprocessing in SAT through variable and clause elimination. [1], pages 61–75.
- [9] Roman Gershman and Ofer Strichma. Cost-Effective Hyper-Resolution for Preprocessing CNF Formulas. [1], pages 423–429.
- [10] Holger H. Hoos and David G. Mitchell, editors. Proceedings of the Seventh International Conference on Theory and Applications of Satisfiability Testing (SAT2004), volume 3542 of LNCS, Vancouver, BC, Canada, May 2004. Springer. Revised Selected Papers.
- [11] Holger H. Hoos and Thomas Stützle. Satlib: An online resource for research on sat. In I.P.Gent, H.v.Maaren, and T.Walsh, editors, SAT 2000, Highlights of Satisfiability Research in the Year 2000, pages 283–292. IOS Press, 2000. http://www.satlib.org/.



- [12] D. S. Johnson and M. A. Trick, editors. Second DIMACS implementation challenge : cliques, coloring and satisfiability, volume 26 of DIMACS Series in Discrete Mathematics and Theoretical Computer Science. American Mathematical Society, 1996.
- [13] Chu-Min Li and Wen Qi Huang. Diversification and determinism in local search for satisfiability. [1], pages 158–172.
- [14] Inês Lynce and Ian P. Gent. A SAT Encoding for the Social Golfer Problem. In IJCAI'05 workshop on Modelling and Solving Problems with Constraints, July 2005.
- [15] Yogesh S. Mahajan, Zhaohui Fu, and Sharad Malik. Zchaff2004: An efficient sat solver. In Hoos and Mitchell [10], pages 360–375. Revised Selected Papers.
- [16] Andreas Meier and Volker Sorge. A New Set of Algebraic Benchmark Problems for SAT Solvers. [1], pages 459–466.
- [17] Sanjai Narain. Network configuration management via model finding. In Proceedings of USENIX Large Installation System Administration (LISA) Conference, San Diego, December 4-5 2005. http://alloy.mit.edu/papers/NetConfigAlloy.pdf.
- [18] R. Ostrowski, E. Grégoire, B. Mazure, and L. Sais. Recovering and exploiting structural knowledge from cnf formulas. In Proc. of the Eighth International Conference on Principles and Practice of Constraint Programming (CP'2002), LNCS, pages 185–199, Ithaca (N.Y.), September 2002. Springer.
- [19] Steven Prestwich. Random Walk With Continuously Smoothed Variable Weights. [1], pages 203–215.
- [20] O. Roussel. Another SAT to CSP Conversion. In 16th IEEE International Conference on Tools with Artificial Intelligence (ICTAI'04), pages 558–565, 2004.
- [21] L. Simon, D. Le Berre, and E. Hirsch. The sat2002 competition. Annals of Mathematics and Artificial Intelligence (AMAI), 43:343–378, 2005.
- [22] Laurent Simon and Philippe Chatalic. SATEx: a web-based framework for SAT experimentation. In Henry Kautz and Bart Selman, editors, *Electronic Notes in Discrete Mathematics*, volume 9. Elsevier Science Publishers, June 2001. http://www.lri.fr/~simon/satex/satex.php3.
- [23] G. Sutcliffe. The IJCAR-2004 Automated Theorem Proving Competition. AI Communications, 18(1):33–40, 2005.
- [24] Dave A.D. Tompkins and Holger H. Hoos. UBCSAT: An Implementation and Experimentation Environment for SLS Algorithms for SAT and MAX-SAT. In Hoos and Mitchell [10], pages 306–320. Revised Selected Papers.
- [25] M.N. Velev. Exploiting signal unobservability for efficient translation to cnf in formal verification of microprocessors. In Formal Verification of Microprocessors, Design, Automation and Test in Europe (DATE '04), pages 266–271, 2004.